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commissionPerShare = 0.005;
ispd = 1000;
% 1 minute data on EWA-EWC
% load('inputData ETF', 'today', 'syms', 'cl');
idxA=find(strcmp('EWA', syms));
idxC=find(strcmp('EWC', syms));
%
x=cl(:, idxA);
y=cl(:, idxC);
%
% plot(x);
% hold on;
% plot(y, 'g');
%
% legend('EWA', 'EWC');
% figure;
%
% scatter(x, y);
%
% figure;
%
% regression_result=ols(y, [x ones(size(x))]);
% hedgeRatio=regression_result.beta(1);
% plot(y-hedgeRatio*x);
% Assume a non-zero offset but no drift, with lag=1.
% results=cadf(y, x, 0, 1); % cadf is a function in the jplv7 (spatial-econometrics.com)
package. We pick y to be the dependent variable again.
% Print out results
% prt(results);
% Output:
% Augmented DF test for co-integration variables:   variable 1,variable 2
% CADF t-statistic      # of lags  AR(1) estimate
%   -3.64346635           1      -0.020411
%
% 1% Crit Value   5% Crit Value  10% Crit Value
%   -3.880        -3.359        -3.038

% Combine the two time series into a matrix y2 for input into Johansen test
y2=[y, x];
% results=johansen(y2, 0, 1); % johansen test with non-zero offset but zero drift, and
with the lag k=1.
%
% % Print out results
% prt(results);

% Output:
% Johansen MLE estimates

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% NULL:          Trace Statistic   Crit 90%   Crit 95%   Crit 99%
% r <= 0 variable 1      19.983    13.429    15.494    19.935
% r <= 1 variable 2      3.983     2.705     3.841     6.635
%
% NULL:          Eigen Statistic   Crit 90%   Crit 95%   Crit 99%
% r <= 0 variable 1      16.000    12.297    14.264    18.520
% r <= 1 variable 2      3.983     2.705     3.841     6.635

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% Adding IGE to the portfolio
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idxI=find(strcmp('IGE', syms));
z=cl(:, idxI);
y3=[y2, z];
y3is = y3(1:ispd,:);
y3os = y3(1+ispd:end,:);

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%y3=Prices5Min(1:3000,1:2);
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```
results=johansen(y3is, 0, 1); % johansen test with non-zero offset but zero drift, and
with the lag k=1.
```

```
% Print out results
```

```
prt(results);
```

```
% Output:
```

```
% Johansen MLE estimates
```

```

% NULL:          Trace Statistic   Crit 90%   Crit 95%   Crit 99%
% r <= 0 variable 1      34.429    27.067    29.796    35.463
% r <= 1 variable 2      17.532    13.429    15.494    19.935
% r <= 2 variable 3       4.471     2.705     3.841     6.635
%
% NULL:          Eigen Statistic   Crit 90%   Crit 95%   Crit 99%
% r <= 0 variable 1      16.897    18.893    21.131    25.865
% r <= 1 variable 2      13.061    12.297    14.264    18.520
% r <= 2 variable 3       4.471     2.705     3.841     6.635

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results.eig % Display the eigenvalues
```

```
% ans =
```

```
%
```

```
% 0.0112
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```
% 0.0087
```

```
% 0.0030
```

```
results.evec % Display the eigenvectors
```

```
% ans =
```

```

%
% -1.0460 -0.5797 -0.2647
% 0.7600 -0.1120 -0.0790
% 0.2233 0.5316 0.0952
yportis=sum(repmat(results.evec(:, 1)', [size(y3is, 1) 1]).*y3is, 2); % (net) market value
of portfolio
yportos=sum(repmat(results.evec(:, 1)', [size(y3os, 1) 1]).*y3os, 2);
% Find value of lambda and thus the halflife of mean reversion by linear regression fit
ylag=lag(yportis, 1); % lag is a function in the jplv7 (spatial-econometrics.com) package.
deltaY=yportis-ylag;
deltaY(1)=[]; % Regression functions cannot handle the NaN in the first bar of the time
series.
ylag(1)=[];
regress_results=ols(deltaY, [ylag ones(size(ylag))]); % ols is a function in the jplv7
(spatial-econometrics.com) package.
halflife=-log(2)/regress_results.beta(1);

fprintf(1, 'halflife=%f periods\n', halflife);

% halflife=22.662578 days
%
% Apply a simple linear mean reversion strategy to EWA-EWC-IGE
lookback=round(halflife); % setting lookback to the halflife found above

numUnits =-(yportos-movingAvg(yportos, lookback))./movingStd(yportos, lookback);
numUnits(abs(numUnits) < 1) = 0; % This sets a threshold level of 1x SD
% capital invested in portfolio in dollars. movingAvg and movingStd are functions from
epchan.com/book2
positions=repmat(numUnits, [1 size(y3os, 2)]).*repmat(results.evec(:, 1)', [size(y3os, 1)
1]).*y3os;
pnl=sum(lag(positions, 1).*(y3os-lag(y3os, 1))./lag(y3os, 1), 2);

% results.evec(:, 1)' can be viewed as the capital allocation, while positions is the dollar
capital in each ETF.

ret=pnl./sum(abs(lag(positions, 1)), 2); % return is P&L divided by gross market value
of portfolio
ret(isnan(ret))=[];
pos=sum(abs(positions),2);
figure;
plot(cumprod(1+ret)-1); % Cumulative compounded return
fprintf(1, 'APR=%f Sharpe=%f\n', prod(1+ret).^(252/length(ret))-1,
sqrt(252)*mean(ret)/std(ret));
% APR=0.125739 Sharpe=1.391310

```